

# Math Myth Busters & The Science of Math



LEARNING & *the* BRAIN<sup>®</sup>

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## Session Goals:

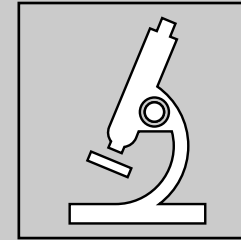
1. Identify common myths about math instruction & intervention.
2. Explain evidence to counter common myths to maximize students' learning.
3. Recommend best practices for supporting students' foundational math skills.
4. Recognize the difference between pseudoscientific claims and scientific evidence.

**MYTH**  
**/mith/**  
**a widely**  
**held but**  
**false**  
**belief**

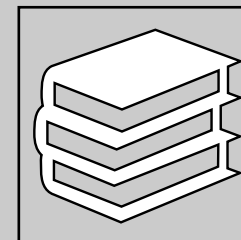
<https://www.thescienceofmath.com/>



The Science of Math is a movement focused on using objective evidence about how students learn math to make educational decisions and to inform policy and practice.



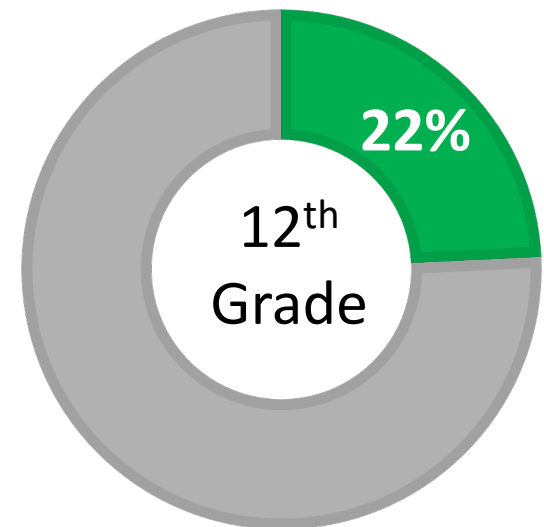
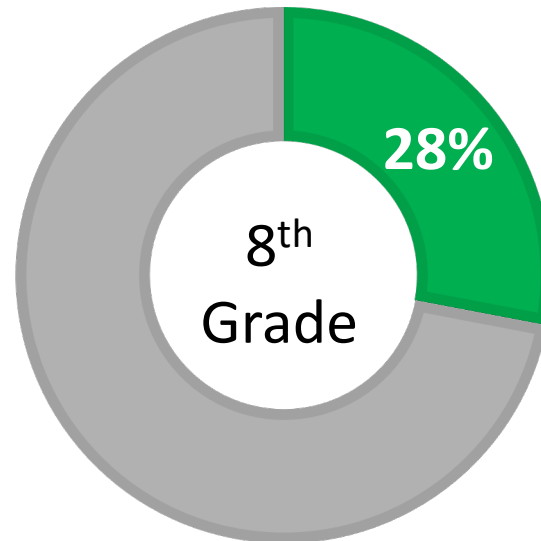
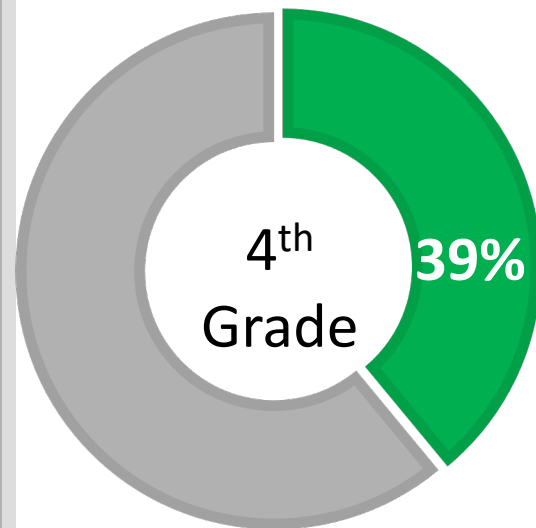
Science of Learning



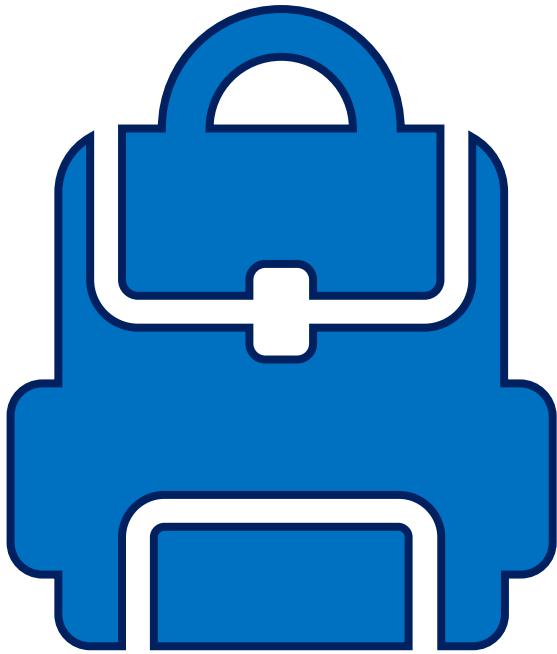
Research Base on Effective Mathematics Instruction

# Math Proficiency in the United States

- Underachievement for more than a decade
- Mathematics is hierarchical
- Lack of foundational skills lead to a persistent pattern of poor proficiency

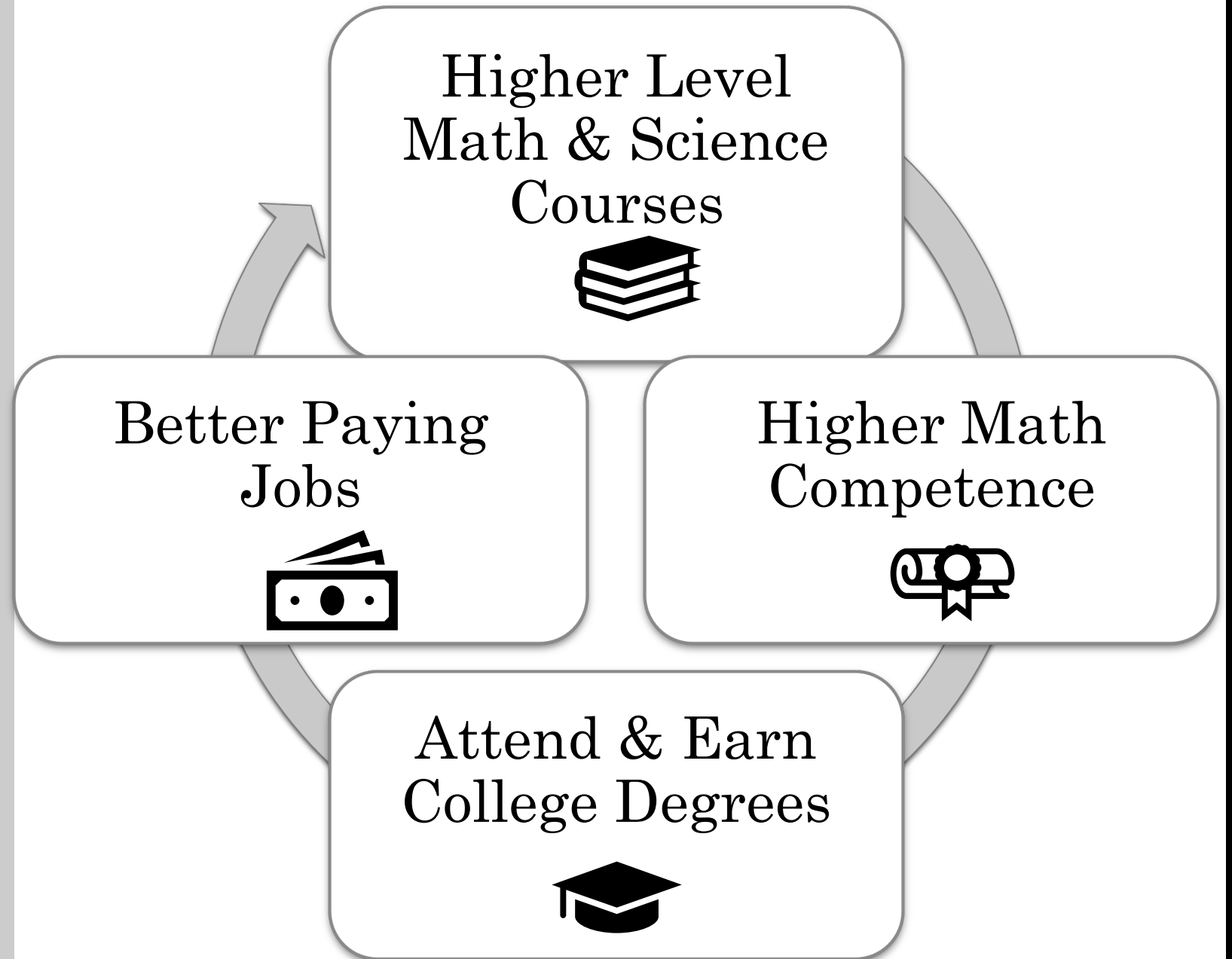


# High Stakes: Early Math Problems Persist Over time

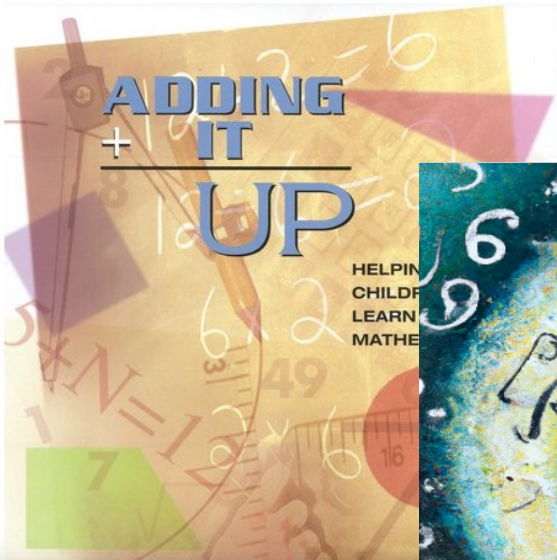


- Among school-entry reading, mathematics, & attention, the strongest predictor of later achievement is **EARLY MATHEMATICS SKILLS**
- Math difficulties begin as early as pre-school & continue without intervention

# High Stakes: College Ready



(Adelman, 2006; Atawell & Domina, 2008; Buyn et al., 2015; Dowker, 2005; Lee et al., 2012; Methe et al., 2011; Parsons & Bynner, 1997; Ritchie & Bates, 2013; You & Nguyen 2012)



## Myths That Undermine Maths Teaching

Sarah R. Powell, Elizabeth M. Hughes, and Corey Peltier

THE CENTRE FOR  
INDEPENDENT  
STUDIES

Analysis Paper 38  
August 2022



Susan  
McKinnon  
Foundation

CIS Education  
Program



## The Final Report of the National Mathematics Advisory Panel

2008  
U.S. Department of Education



### Assisting Students Struggling with Mathematics

This [practice guide](#) provides evidence-based practices that can help teachers tailor their instructional approaches and/or their mathematics intervention programs to meet the needs of their students.

Practice Guide | March 2021



### Improving Algebra Knowledge & Strategies in Grades 6-12

This [practice guide](#) provides three recommendations for teaching algebra to students in middle school and high school. Each recommendation includes implementation steps and solutions for common roadblocks. The [recommendations](#) also...

Practice Guide | April 2015 (Revised January 2019)

#### Related Resource (2.7 MB)

This six-page practice guide summary provides an overview of the three recommendations for teaching algebra to students in middle school and high school. See the research evidence at a glance.

Practice Guide Summary | July 2015



### Teaching Math to Young Children

This [practice guide](#) provides five recommendations for teaching math to children in preschool, prekindergarten, and kindergarten. Each recommendation includes implementation steps and solutions for common roadblocks. The [recommendations](#)...

Practice Guide | November 2013

#### Related Resource (883 KB)

This eight-page summary reviews expert recommendations from the field, along with tips on implementing them. See the research evidence at a glance.

Practice Guide Summary | February 2014



### Improving Math Problem Solving in Grades 4-8

This [practice guide](#) provides five recommendations for improving students' mathematical problem solving in grades 4 through 8. This guide is geared toward teachers, math coaches, other educators, and curriculum developers who want to...

Practice Guide | May 2012 (Revised October 2018)

#### Related Resource (925 KB)

This eight-page set of instructional tips translates practice guide recommendations into actionable approaches that educators can try in their classrooms.

Instructional Tips | July 2017



### Developing Fractions Instructions for K-8

This [practice guide](#) presents five recommendations intended to help educators improve students' understanding of fractions. [Recommendations](#) include strategies to develop young children's understanding of early fraction concepts...

Practice Guide | September 2010



### Assisting Students K-8 in Mathematics


Taking early action may be key to helping students struggling with mathematics.

Practice Guide | April 2009



### Encouraging Girls in Math and Science

The objective of this guide is to provide teachers with specific [recommendations](#) that can be carried out in the classroom without requiring systemic change.



# WHAT MYTHS OPERATE IN YOUR SCHOOL/DISTRICT?

1. Teach Conceptual Knowledge 1st
2. Standard Algorithms are Harmful
3. Fact Fluency Doesn't Matter
4. Timed tests & Tasks Cause Math Anxiety
5. Productive Struggle Leads to Deeper Learning
6. Explicit Instruction is Only Helpful for Some Students
7. All Math Standards Are Created Equal
8. Executive Functioning Training Matters
9. Growth Mindset Increases Math Achievement

MYTH #1

TEACH  
CONCEPTUAL  
UNDERSTANDING  
FIRST



Estimate the closest whole number of  $\frac{12}{13} + \frac{7}{8}$

- Understand and estimate magnitude

Decide whether  $3 = 3$  makes sense

- Evaluate examples of concepts

Place 28 on a number line

- Translate quantities between representational systems

Which is bigger: 5 or 8

- Compare quantities

Define the commutative property

- Generate or select definitions

# Defining Terms: Conceptual

**Comprehension of  
mathematical  
concepts, laws,  
principles, & relations**  
(NRC et al. 2001, p. 5)

$$8/10 + 6/10 = x$$

- Solve problems in a familiar format

$$2 \frac{1}{2} + \frac{1}{4} = x$$

- Solve problem with a new surface or problem feature

$$5 + 4 =$$

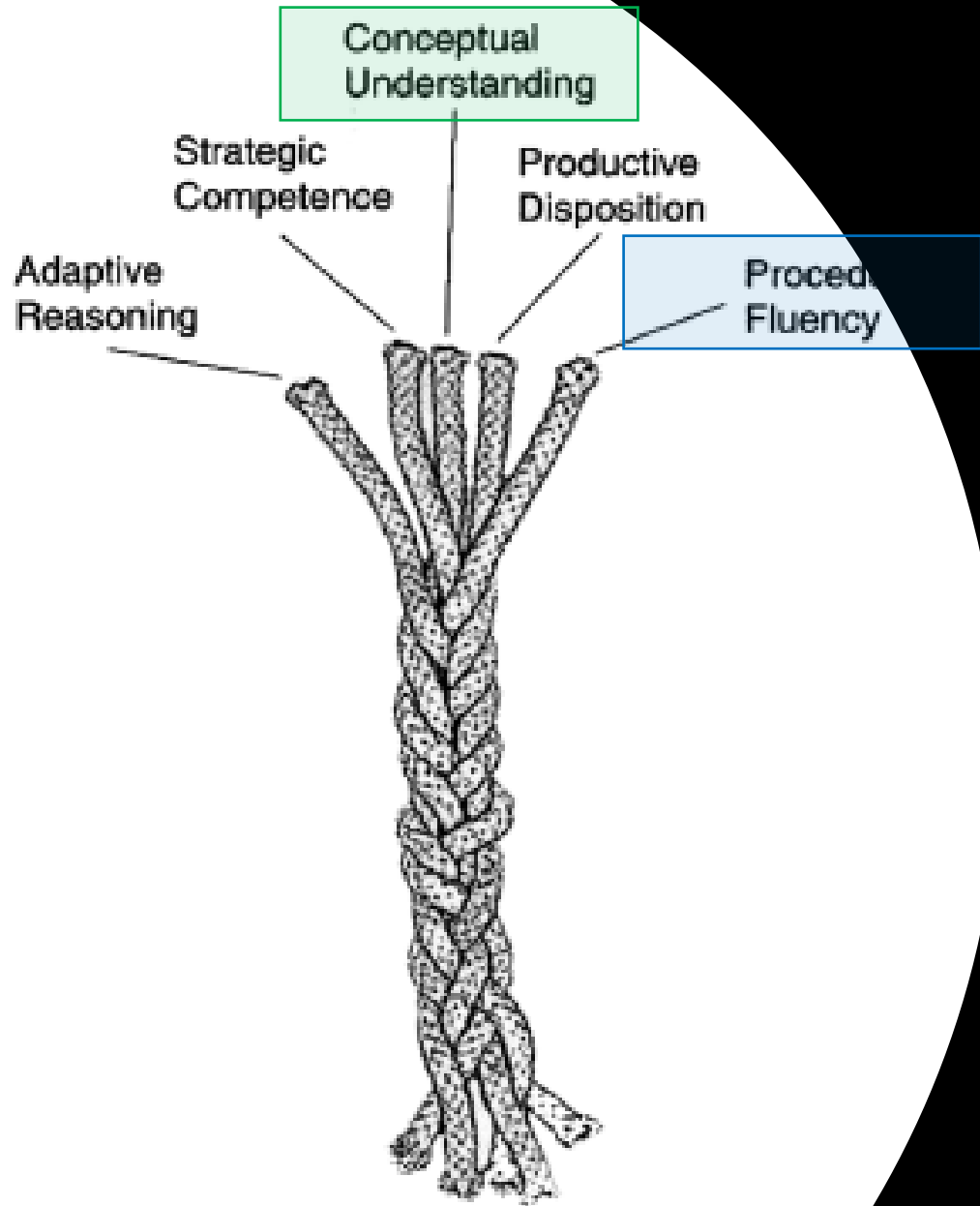
- Quick and effortless recall of basic facts

$$58 + 62 =$$

- Solve complex operations using algorithms, mental math, and other strategies as appropriate

## Defining Terms: Procedural

**Knowledge of when & how to use procedures appropriately as well as skill in performing them flexibly, accurately & efficiently**  
(NRC et al., p. 121)



**Intertwined Strands of Proficiency**

# Truth

Pitting procedural fluency against conceptual understanding **creates a FALSE DICHOTOMY** (NRC, 2001, p. 100)

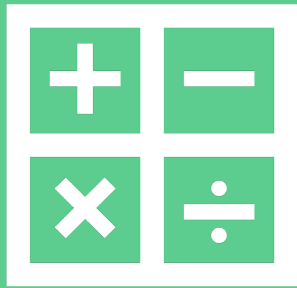
Conceptual understanding and procedural fluency (including quick & effortless recall of facts) are **MUTUALLY BENEFICIAL**

(NMAP, 2008, p. 11)



Procedural vs.  
Conceptual Debate  
seems only to apply to  
U.S.

Other countries  
recognize practice with  
procedures as a route  
to understanding



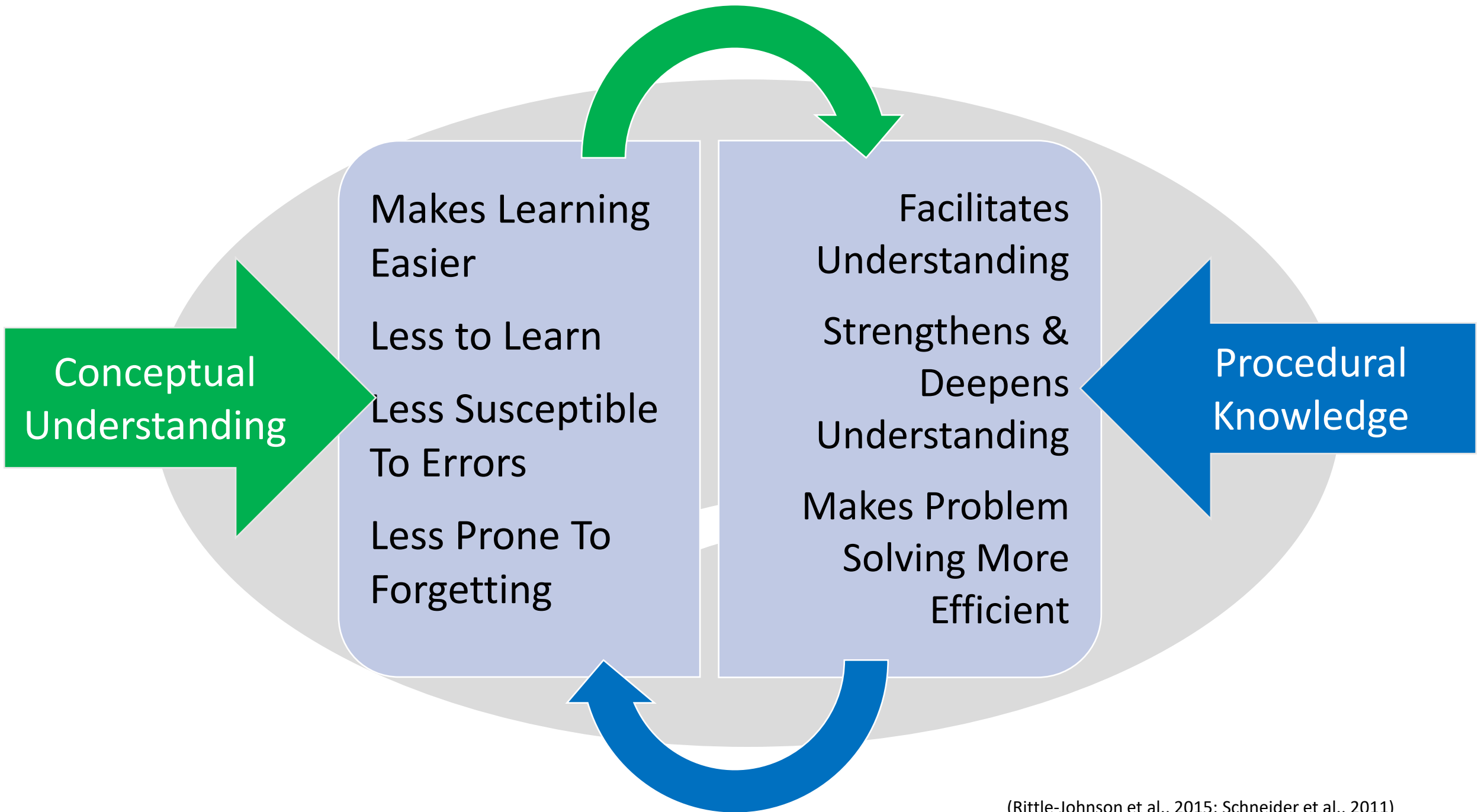
U.S. students cannot solve basic facts as  
quickly or efficiently as their international  
peers



Neither textbooks nor instruction provide  
enough opportunities for practice with  
procedural knowledge

# U.S. Curricula

Gaps in BOTH  
Conceptual &  
Procedural  
Knowledge





# *Flexibility*

Commutative  
Property of  
Addition

$$5 + 3 = 3 + 5$$

Relationships  
among  
Numbers

$$6 + 7 = 6 + 6 + 1 = 13$$

Multiplicative  
Understanding  
+ Estimation

$$9.83 \times 7.65 \neq 7519.95$$

Answer must be  $< 80$  ( $10 \times 8$ )

Understand  
Base-10 Place  
Value

$$199 + 67 = 200 + 66$$

$$4 + 26 = 20 + (6+4) = 30$$

# Theories Regarding the Relationship Between Conceptual Understanding & Procedural Knowledge

## Concepts-first

Conceptual basis is necessary to execute procedures

## Procedures-first

Procedures are learned via modeling and concepts are extrapolated

## Iterative

The learning of one (concepts or procedures) improves the other

## Simultaneous

Concepts and procedures are inextricably linked, and therefore develop synchronously

Empirical studies have shown a *bidirectional* relationship between concepts and procedures

# Conceptual Understanding



# Procedural Knowledge

# EVIDENCE

Counting (preschoolers)

Decimals (middle schoolers)

Addition & Subtraction (primary schoolers)

Equivalence (primary schoolers)

Fractions (primary schoolers)

# BEST PRACTICES

(e.g., Bouck et al., 2018; Flores, 2010; Gersten et al., 2009; Morano et al., 2020; Strickland & Maccini, 2013; Woodward et al., 2012)



**Interleave conceptual and procedural content within lessons**



**Engage in think alouds to model and practice step-by-step procedures for problem-solving while describing conceptual understanding**



**Use a progression of concrete\*representation (semi-concrete)\*abstract phases & consider integrating each phase within the same lesson**

# MYTH #1 HAS LED TO THESE OTHER MYTHS:

Standard Algorithms are Harmful

Fact Fluency Doesn't Matter

# MYTH #2

TEACHING THE  
STANDARD  
ALGORITHM IS  
HARMFUL

Julie has 38 boxes of oranges in her delivery truck. Each box holds 12 oranges. How many oranges does Julie have in her truck?

$$456$$

$$\begin{array}{r} 1 \\ 38 \\ \times 12 \\ \hline 176 \\ + 380 \\ \hline 456 \end{array}$$

# Linking Strands of Mathematical Proficiency to Number Combinations

Algorithm-only instruction is  
distinct from not teaching the  
standard algorithm at all

$$\begin{array}{r} 54 \\ + 48 \\ \hline \end{array}$$

102

# Logic of Standard Algorithm

1. Add digits in the one's column

$$4 + 8 = 12$$

2. If the sum in the one's column is  $>10$ , regroup

$$\begin{array}{r} \boxed{1} \\ 54 \\ +48 \\ \hline \boxed{10} \quad \boxed{2} \end{array}$$

3. Sum the digits in the ten's column

1.  $54 = 5 \text{ } \boxed{10} \text{ } \& \text{ } 4 \text{ ones}$

2.  $48 = 4 \text{ } \boxed{10} \text{ } \& \text{ } 8 \text{ ones}$

3. Add the ones

4.  $4 + 8 = 12$

5.  $12 = 1 \text{ } \boxed{10} \text{ } \& \text{ } 2 \text{ ones}$

- We are left with 2 ones

6. Add the tens

- $50 + 40 + 10 = 100$

7. add the tens & ones

- $100 + 2 = 102$

# Using Algorithms to Illustrate Place Value Understanding

Step 1: Add Ones

Step 2: Add Tens

Step 3: Add Hundreds



$$\begin{array}{r} \phantom{+} | 4 | 1 | 9 \\ + | 1 | 4 | 0 \\ \hline 559 \end{array} \quad \begin{array}{l} \longrightarrow 400 + 10 + 9 \\ \longrightarrow + 100 + 40 + 0 \\ \hline 500 + 50 + 9 = 559 \end{array}$$

# Using Algorithms to Illustrate Place Value Understanding Continued

Step 1: Add Ones

Step 2: Add Tens

Step 3: Add Hundreds

$$\begin{array}{r|l|l|l} & 4 & 1 & 9 \\ + & 1 & 4 & 0 \\ \hline 5 & 5 & 9 & \end{array}$$

$$\begin{array}{r|l|l|l} & 4 & 1 & 9 \\ + & 1 & 4 & 0 \\ \hline 5 & 5 & 9 & \end{array}$$



$$420 - 1$$



$$+ 140$$

$$\hline 560 - 1 = 559$$

The National  
Mathematics  
Advisory Panel  
(2008)  
defines  
**Proficiency** as...

Understanding key concepts,  
achieve automaticity as  
appropriate, **DEVELOP  
FLEXIBLE ACCURATE, &  
AUTOMATIC EXECUTION OF  
STANDARD ALGORITHMS** &  
use these competencies to  
solve problems (p. 22)

# Truth

Many Tasks In Every  
Day Life Require  
Algorithms

Algorithms...



Link conceptual understanding & procedural knowledge



Illustrate that mathematics is structured, predictable, organized & contains patterns



Provide a Tool For Completing Routine Tasks



Break Down More Complex Problems Into Simpler Subtasks

# BEST PRACTICES

(Flores & Kaffar, 2018; Montague et al., 2011; Pfannenstiel et al., 2015; Pashler et al., 2007; Torbeyns & Verschaffel, 2016; Zhang et al., 2014; Zhang et al., 2017)



## Teach the Standard Algorithm

- Help students understand when to use & why

## Use Worked Examples When Students are First Learning to Solve Problems

- Interleaving worked and/or partially worked examples with unworked problems → deeper learning

## Use Mnemonics & Checklists to Support Step-by-Step Problem Solving

- RENAME

MYTH #3

FACT FLUENCY  
DOESN'T  
MATTER

$2 \times 5$

$5 \times 2$

$5 \times 10$

$10 \times 5$

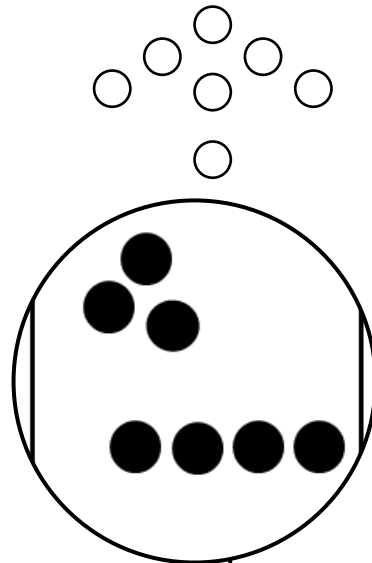
$5 \times 3$

$3 \times 5$

$8 \times 8$

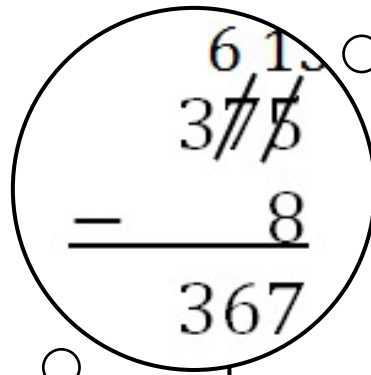
# Computational Proficiency with Whole Number Operations

(National Mathematics Advisory Panel, 2008)



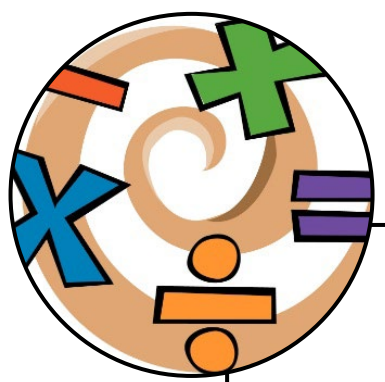
Sense of Number

Solid Sense of Number Concepts



Fluency

With Standard Algorithms for all Operations



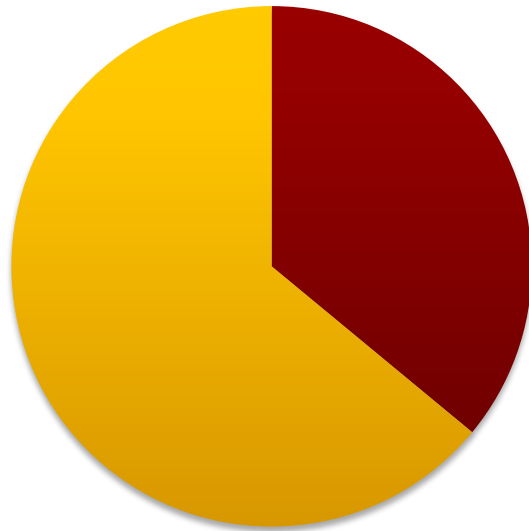
Facts

Automatic Recall

# State of Affairs

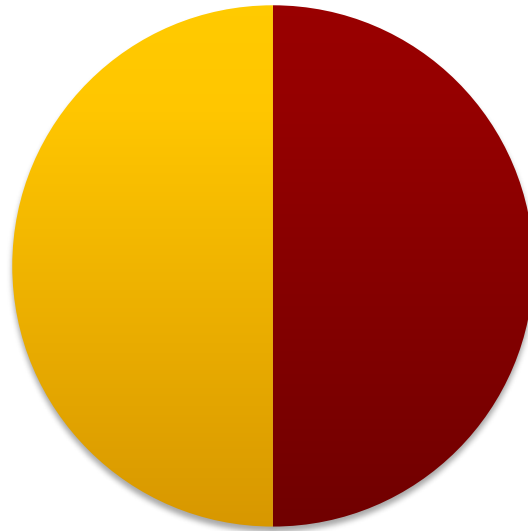
## Basic Addition

Second Graders



■ Mastered ■ Not Mastered

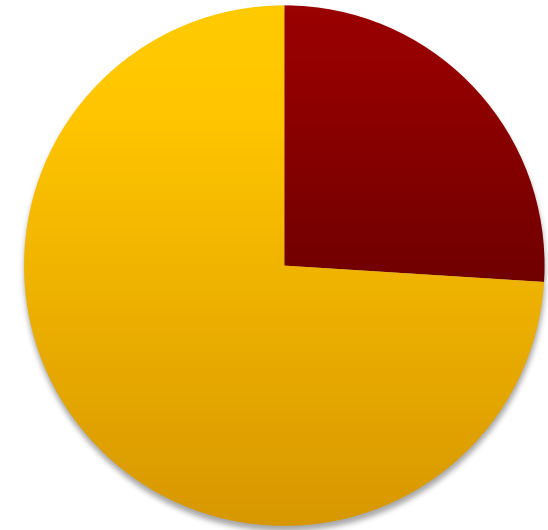
Third Graders



■ Mastered ■ Not Mastered

## Basic Subtraction

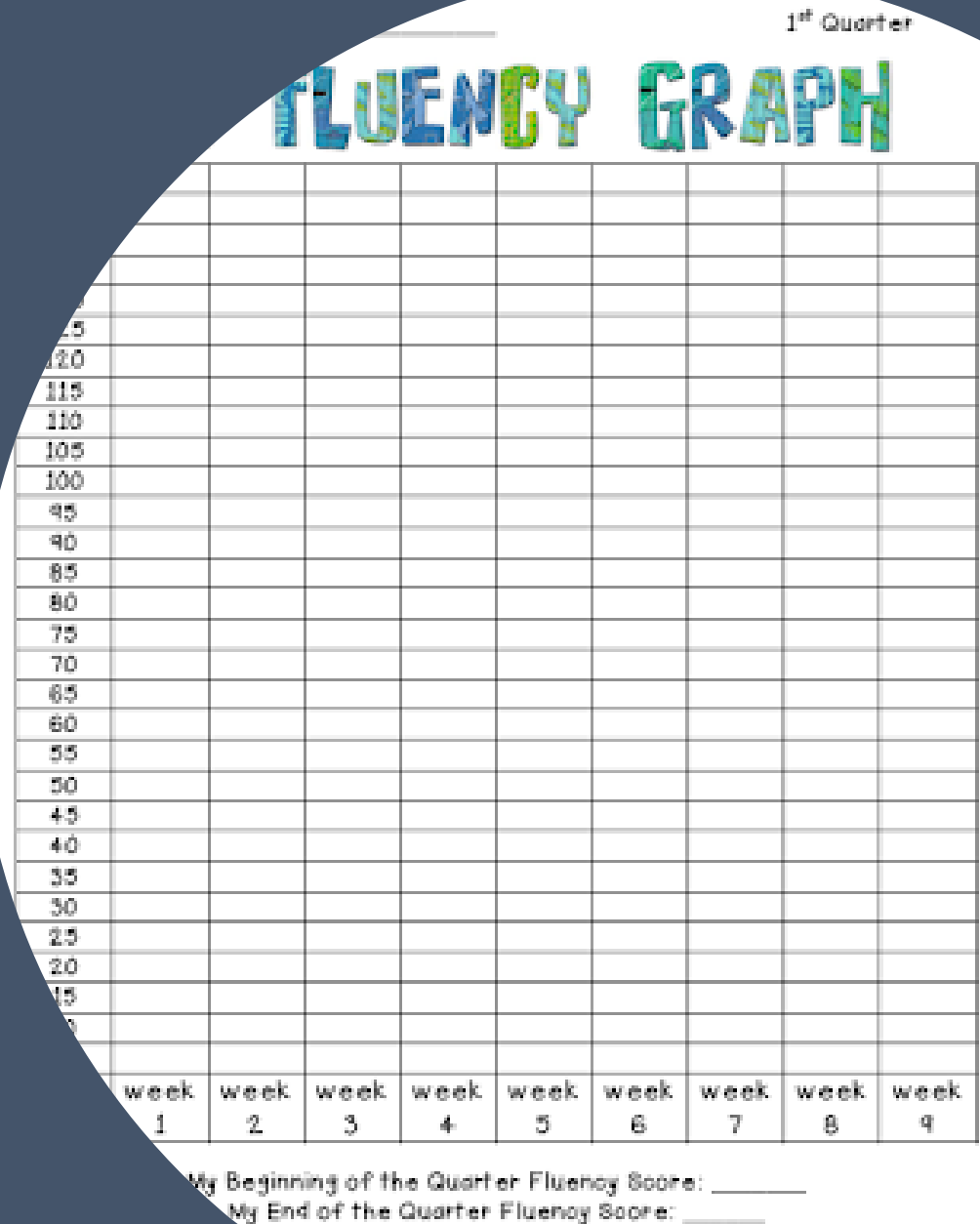
Third Graders

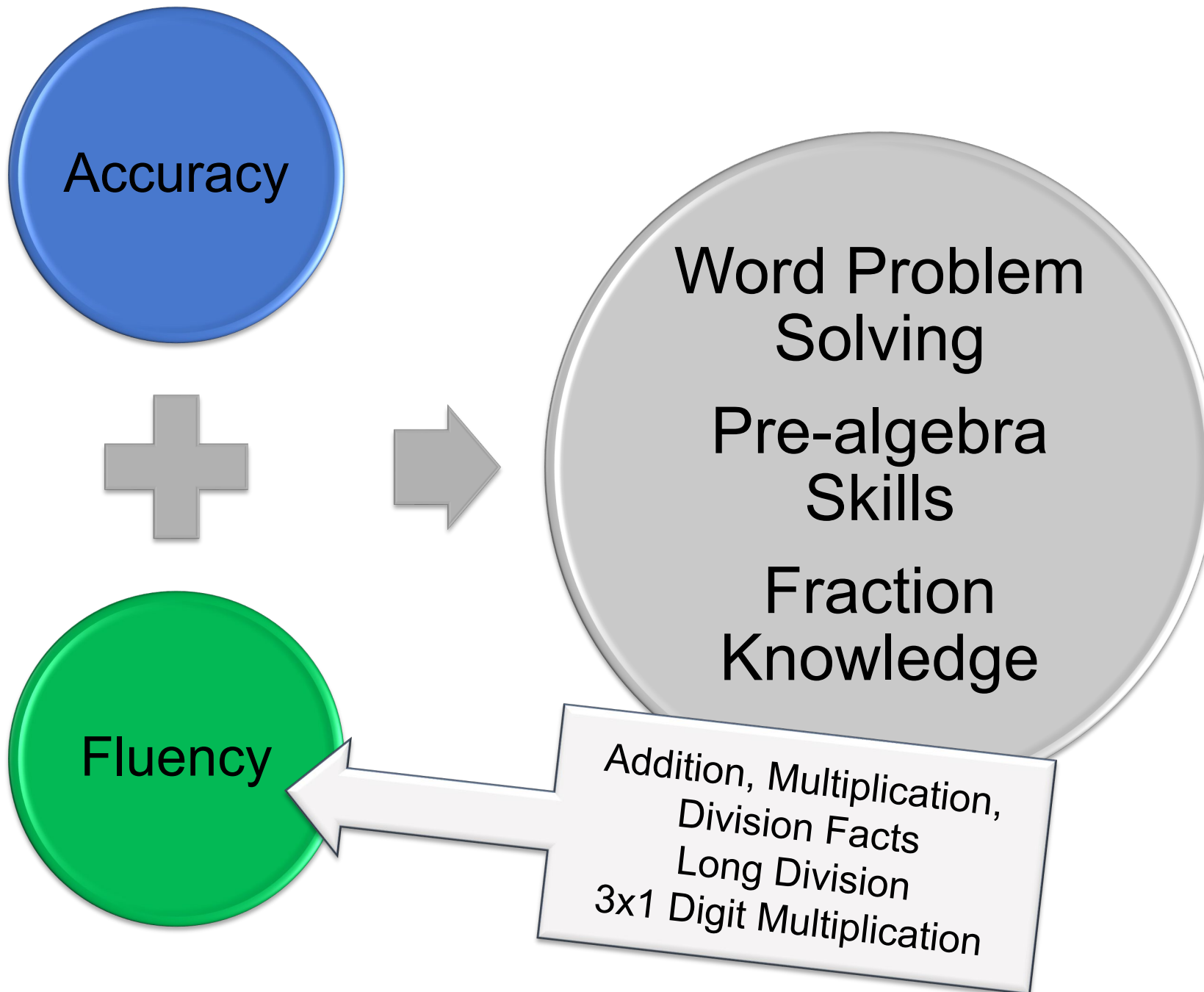


■ Mastered ■ Not Mastered

100%

Accuracy or Fluency?





# Truth

If students automatically retrieve

$$3 + 4$$

they are more likely to access:

- $30 + 40$
- $53 + 24$
- $321 + 452$
- $\$1.30 + \$1.40$
- $\frac{3}{9} + \frac{4}{9}$

If students are not fluent, they:

- Direct more attention & working memory to retrieving the solution
- Experience greater **anxiety** for & **avoidance** of math tasks

# Fact Fluency Defined

**What:**

- Fast & accurate performance on 1-digit problems across all whole number operations

**When:**

- Should be mastered by the end of 5<sup>th</sup> grade

**Why:**

- Associated with higher mathematics achievement & more efficient completion of complex math tasks

# Pathway to Automaticity

Counting All

**LEAST EFFICIENT**

Counting Up from First Addend

**COUNTING**



Counting on from Larger Addend

**REASONING**

**3** + 5

**3** + **5**

Decomposition

**7**+**8** = 5+2+8 = 5+10

**7**+**8** = 7+ 7 + 1

Mental Retrieval

**MOST EFFICIENT**

(Butterworth, 2005; Griffin, 2003)

# BEST PRACTICES

(e.g., Baroody et al., 2009; Burns et al., 2006; Burns et al., 2015; Daly et al., 2007; Fuchs et al., 2008; Gersten et al., 2009)

10 min  
of daily  
fluency  
practice

Deliberate

Frequent

Materials are...

To solve simple multiplication facts, the **average**

Matched to instructional level

Sequenced into small sets

Altered according to progress

Integrated for cumulative review

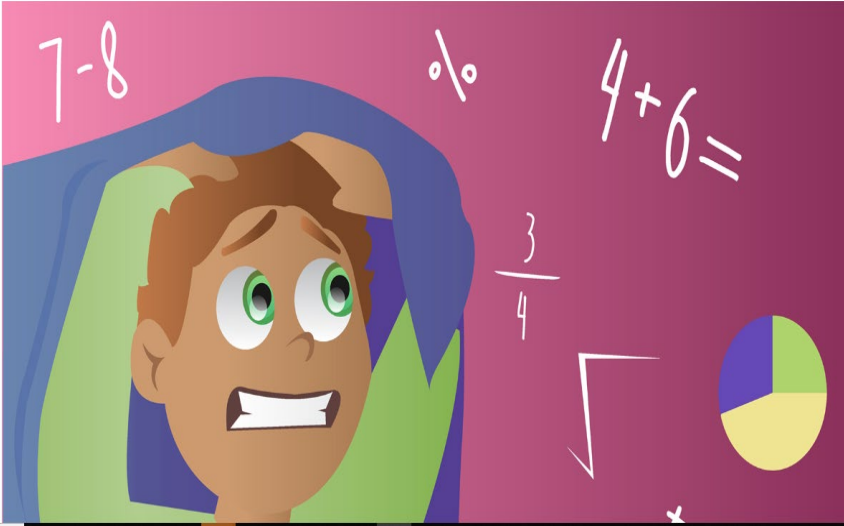
3<sup>rd</sup> grader requires 7-8 repetitions

4<sup>th</sup> grader requires 5 repetitions

MYTH #4

TIMED TESTS  
CAUSE MATH  
ANXIETY





# Defining Math Anxiety

(Ahmed, 2018; Ashcraft & Moore, 2009; Cargnelutti et al., 2017; Chinn, 2009; Gunderson et al., 2018; Hembree, 1990; Ho et al., 2000; Li et al., 2021; Luttenberger et al., 2018; OECD, 2013; Ramirez et al., 2013; Richardson & Suinn, 1972; ; Sawchuk & Sparks, 2020; Sorvo et al., 2017; Vukovic et al., 2013)

## What is it?

Tension, worry, physiological reaction & self-defeating thoughts about performance interfering w/completion of math tasks or the manipulation of numbers in ***academic and daily living***



## Prevalence:

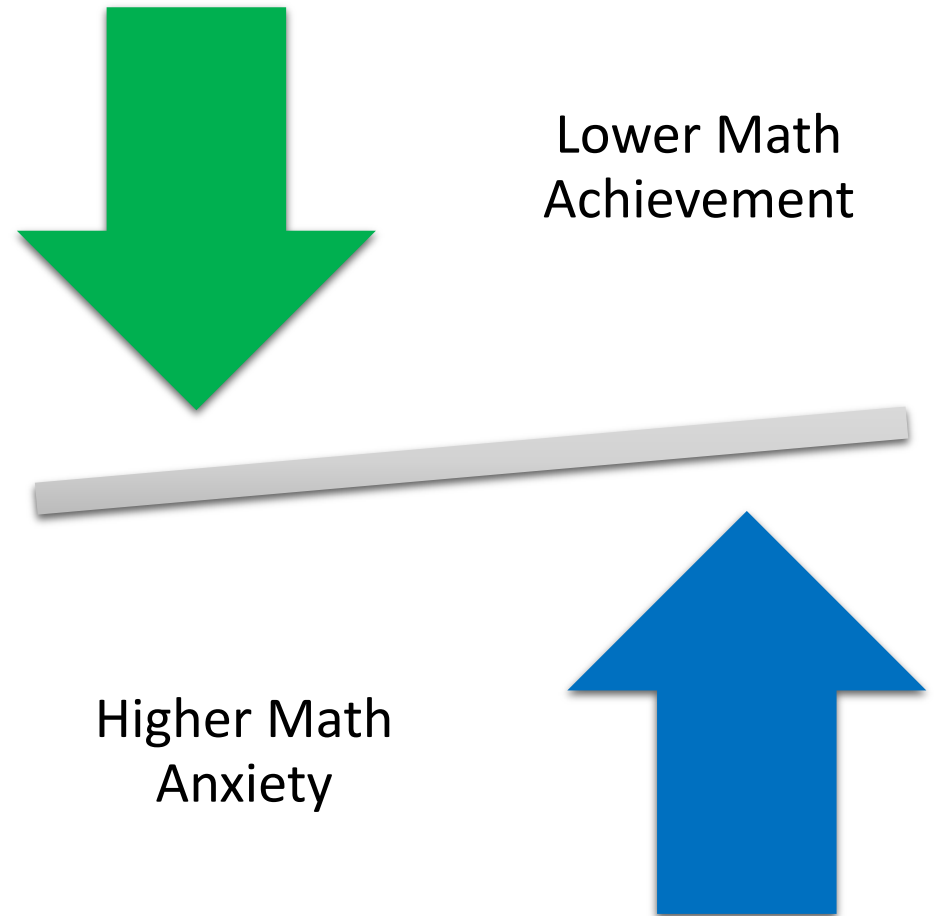
As many as 17% of the U.S. population experiences high levels of math anxiety

Children as young as 6 have experienced math anxiety

As many as 59% of adolescents around the world worry math class will be difficult

# Relationship Between Math Achievement & Math Anxiety

- Small to Moderate Negative Relationship ( $r = -.25$  to  $-.40$ )
- Relationship is Consistent Across
  - the Lifespan
  - Racially and Ethnically Diverse Samples within the U.S.
  - Continent of Origin



# Why do We Assess with Timed Tests?



Superior Information In  
Knowing Whether  
Students Have Attained  
Mastery



Its Efficient And Wastes  
Less Instructional Time



Rate Measures are More  
Reliable & Valid than  
Accuracy Measures

# Theories Associated with Math Anxiety



Deficit Theory

Poor Math Performance → High Math Anxiety



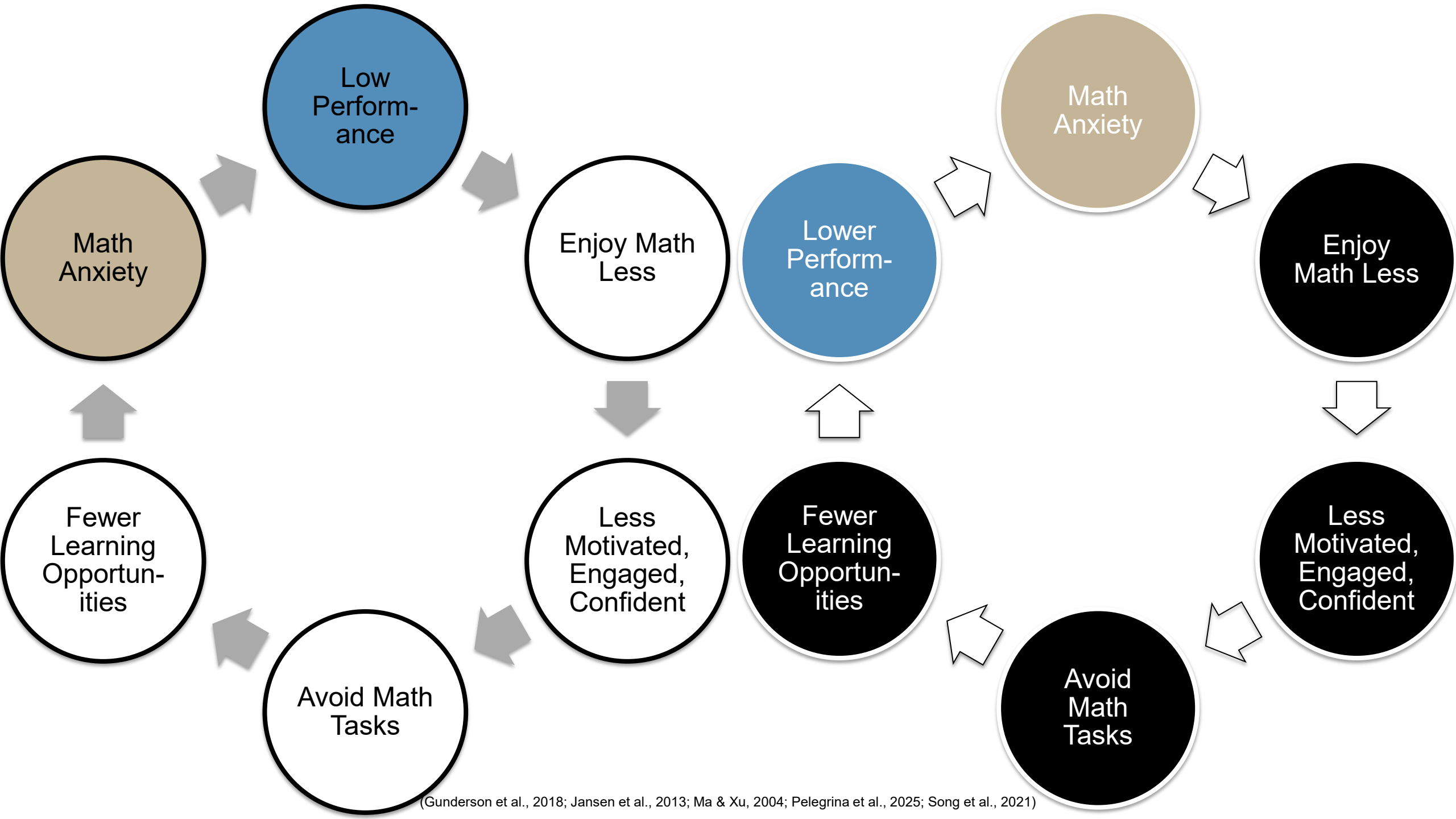
Cognitive Interference Theory

High Math Anxiety → Poor Math Performance



Reciprocal Theory

Poor Math Performance ↔ High Math Anxiety



# TRUTH

When students are given **difficult tasks** without adequate prior instruction or practice, they report higher math anxiety

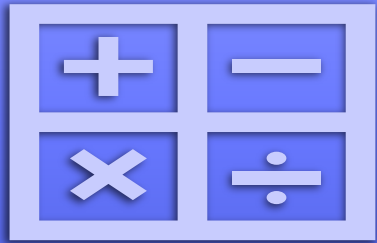
Overt timing on practice tasks can **facilitate** math performance for all students

**Math skill building interventions** improve math performance and reduce math anxiety

**Combining math skill building and therapeutic interventions** is effective for reducing math anxiety but not improving math skills

# BEST PRACTICES

(Cargnelutti et al., 2017; Coddington, Goodridge et al., 2023 Grays et al., 2017; Gunderson et al., 2018; ; Liu et al., 2025 Sorvo et al., 2017)



## Address Students' Math Skill Gaps Directly & First

- Match instructional strategies to students' needs
- Check to make sure prerequisite skills are mastered



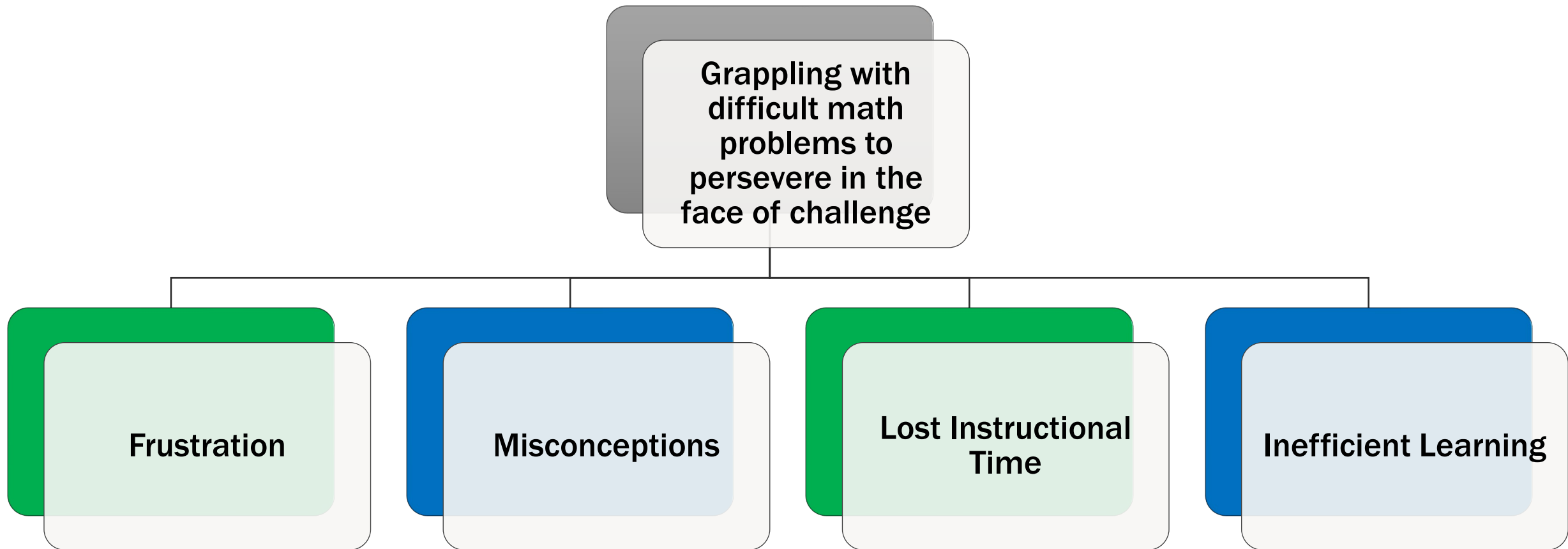
## When Students Have High Math Anxiety Add Therapeutic Support



# MYTH #5

PRODUCTIVE  
STRUGGLE LEADS  
TO DEEPER  
LEARNING

# PRODUCTIVE STRUGGLE



(Ashman et al., 2020; Brown & Campione, 1994; Carlson et al., 1992; Kapur, 2014)



Students learning NEW skills need clear demonstration, modeling, & guided practice



Students' comprehension of NEW information is Improved by activating PRIOR KNOWLEDGE



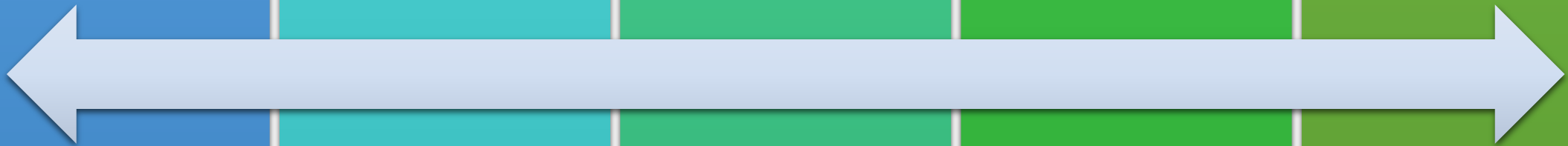
No evidence that giving partial information for making connections leads to learning



Teacher guidance is required for learners to complete & learn from an activity



Explicit explanations are required to maximize student performance



# Instructional Hierarchy



(Burns et al., 2010; Coddling et al., 2017; Haring et al., 1978)

## Acquisition

**ESTABLISHING** Skills & Concepts – Building Accuracy



## Fluency

**REMEMBERING & RETAINING** Skills & Concepts – Building Efficiency & Accuracy



## Generalization

**ENDURING** – Skills & Concepts Are Demonstrated Across Academic Tasks & Situations



## Adaptation

**APPLYING** – Skills & Concepts are Integrated and Applied to Novel Problems

# Best Practices

(Ashman et al., 2020; Brown & Campione, 1994; Carlson et al., 1992; Kapur, 2014)



Scaffold

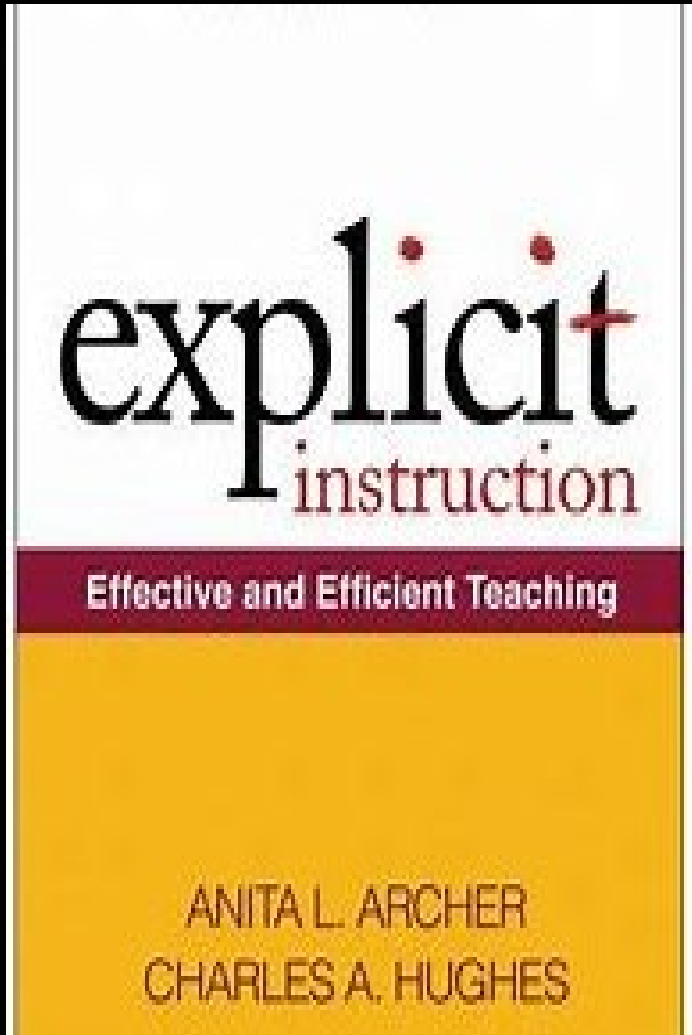
Learning According to the Instructional Hierarchy

Build on

Prior Knowledge

Provide

Challenging Problems After Students Demonstrate Accuracy, Fluency, & Generalization w/Required Skills & Concepts



# MYTH #6

EXPLICIT INSTRUCTION  
IS ONLY HELPFUL FOR  
SOME STUDENTS

Systematic and  
instr

**STATED CLEARLY AND IN DETAIL, LEAVING  
NO ROOM FOR CONFUSION OR DOUBT.**  
~Oxford Dictionary

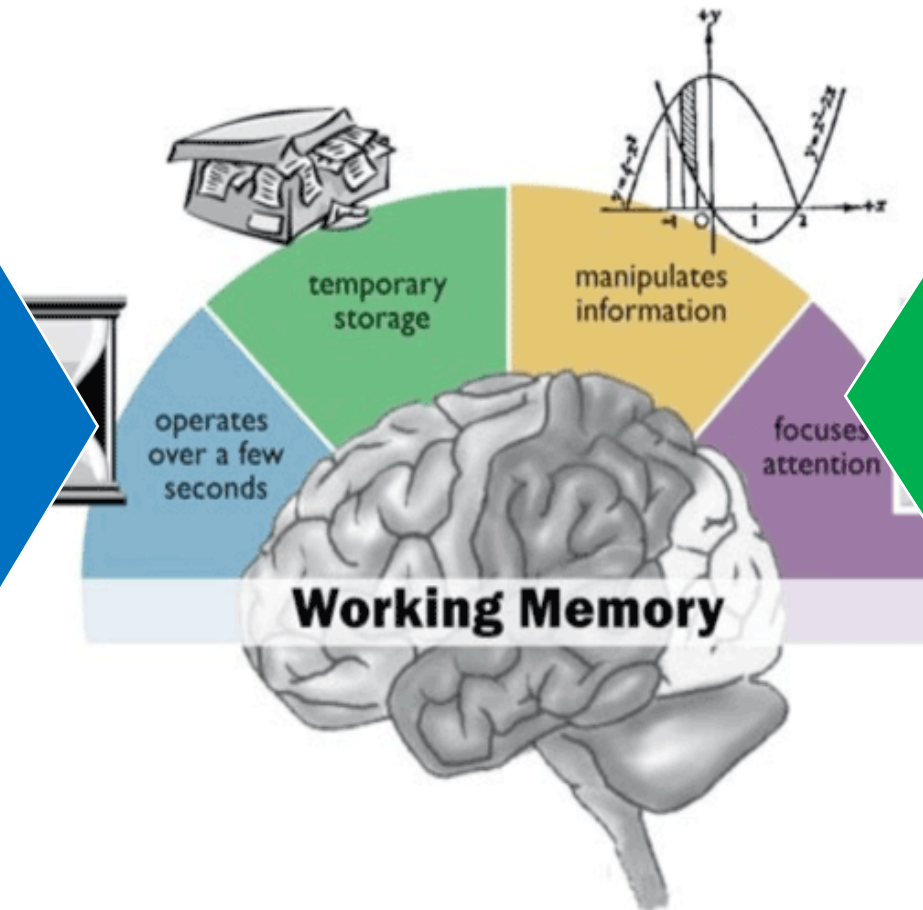
and skills

(Doabler et al., 2014; Carnine et al., 2004; Rosenshine, 2012)

# SCIENCE OF LEARNING

## Novice Learners:

- Limited prior knowledge
- Remember & process parts
- Use inefficient problem-solving tactics
- Work backwards



Working Memory (WM)  
is Limited in Duration &  
Capacity

Explicit Instruction is Better for Novices & Students with or at-risk for SLD Math

Challenges Working Memory & Hampers Learning

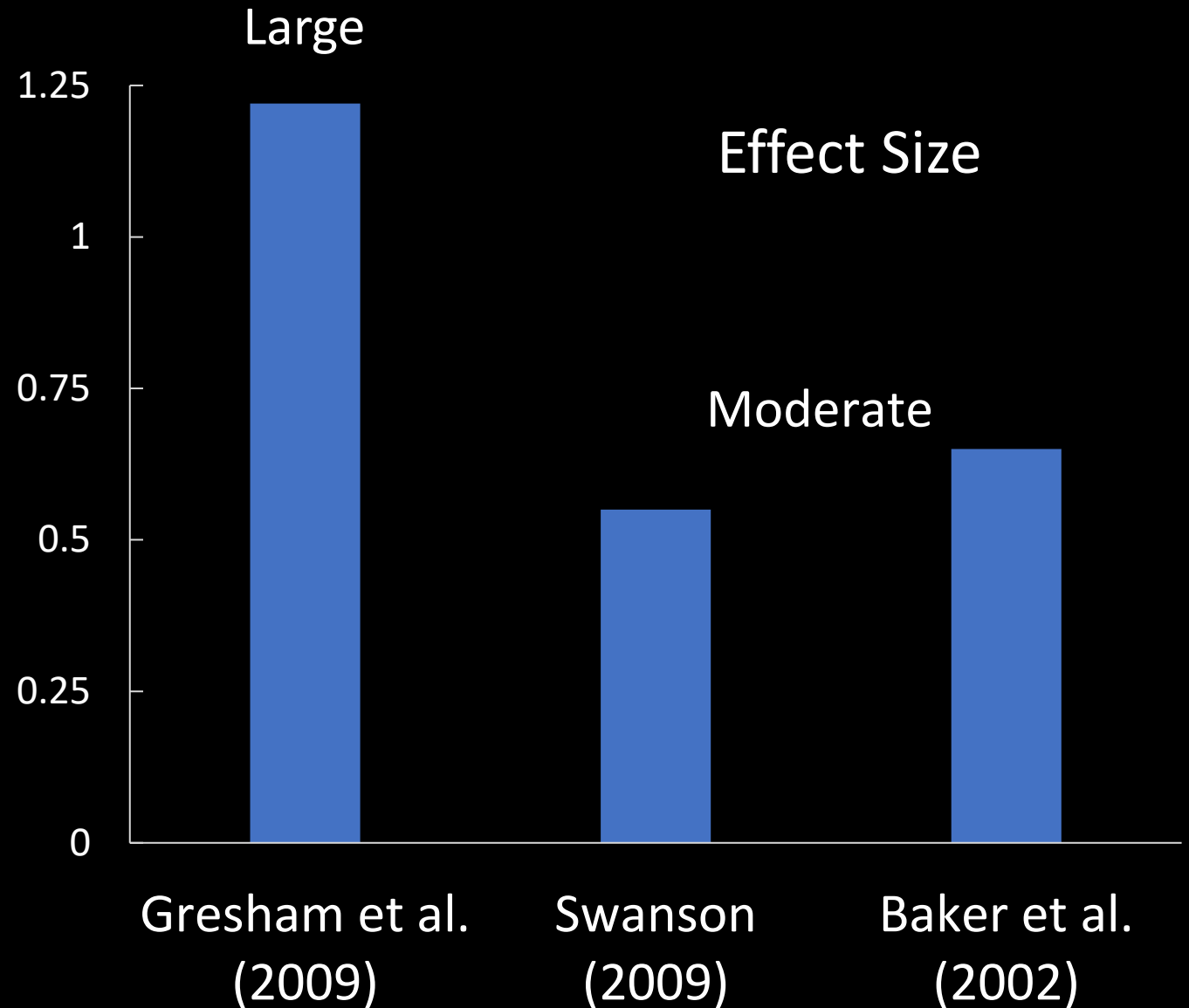
Discovery Instruction Better for Experts & Less Empirical Support

Works w/ Working Memory Constraints Facilitates Efficient & Effective Learning

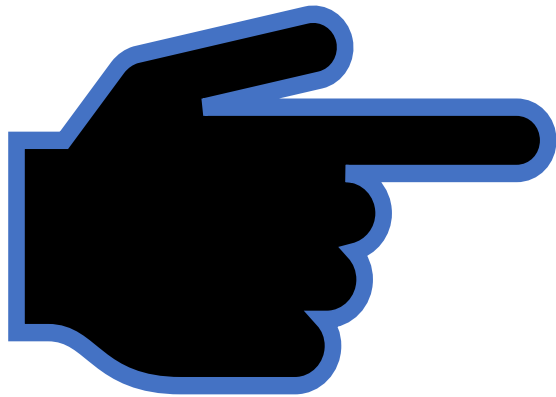
# Evidence

Explicit Instruction is a  
High-Leverage,  
Evidence-based  
Practice

(Hlas & Hlas, 2012; McLeskey et al., 2017; Nelson et al., 2022)



# Truth



Clear and concise demonstrations

Frequent OTPs to verbalize

Timely feedback

High quality & frequent teacher-student interactions

Scaffolding according to instructional level

Evaluates for mastery

# BEST PRACTICES



**INCORPORATE EXPLICIT  
INSTRUCTION INTO YOUR  
LESSONS EVERY DAY**



**USE A CURRICULUM THAT  
INCORPORATES EXPLICIT  
INSTRUCTION**



**PROVIDE EXPLICIT  
INSTRUCTION DURING  
INTERVENTION SUPPORTS**

**MYTH #7**  
**ALL**  
**MATH STANDARDS**  
**ARE**  
**CREATED EQUAL**

COMMON CORE

STATE STANDARDS INITIA

PARING AMERICA'S STUDENTS FOR COLLEGE &

# History: A Mile Wide & an Inch Deep



Number of Math Topics Listed	Grade Level				
	First	Second	Third	Fourth	Fifth
(Schmidt & Houang, 2012)					
A+ International Countries	5	9	12	16	21
Common Core Mathematics Standards	8	11	13	17	21
Sample of 50 States' Mathematics Standards (2008-2009)	13	15	18	20	21
State Averages (1995)	12	17	21	26	28

# CRITICAL FOUNDATIONS FOR



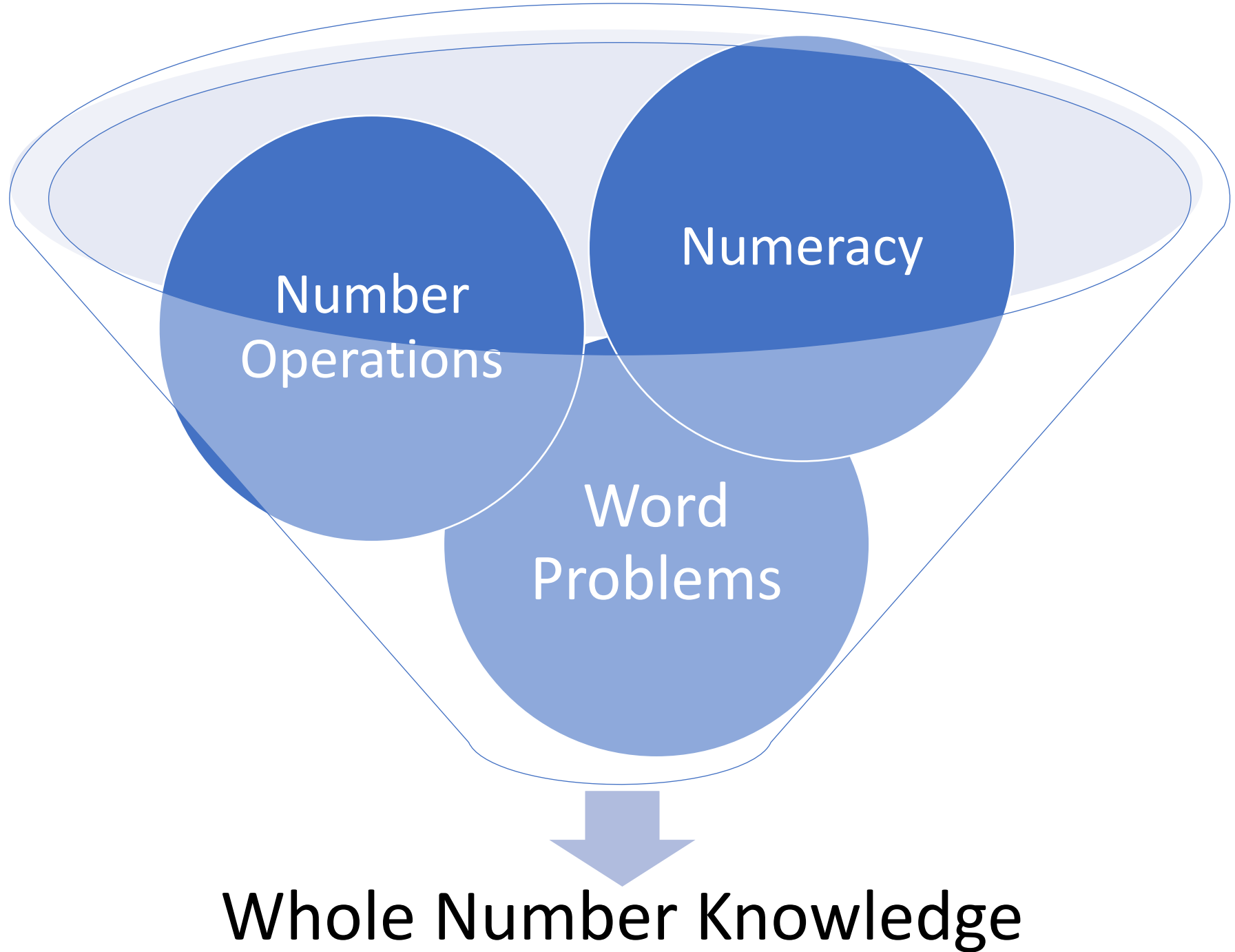
## Algebra

Whole Number  
Proficiency

Fluency with  
Fractions

Key Aspects of  
Geometry

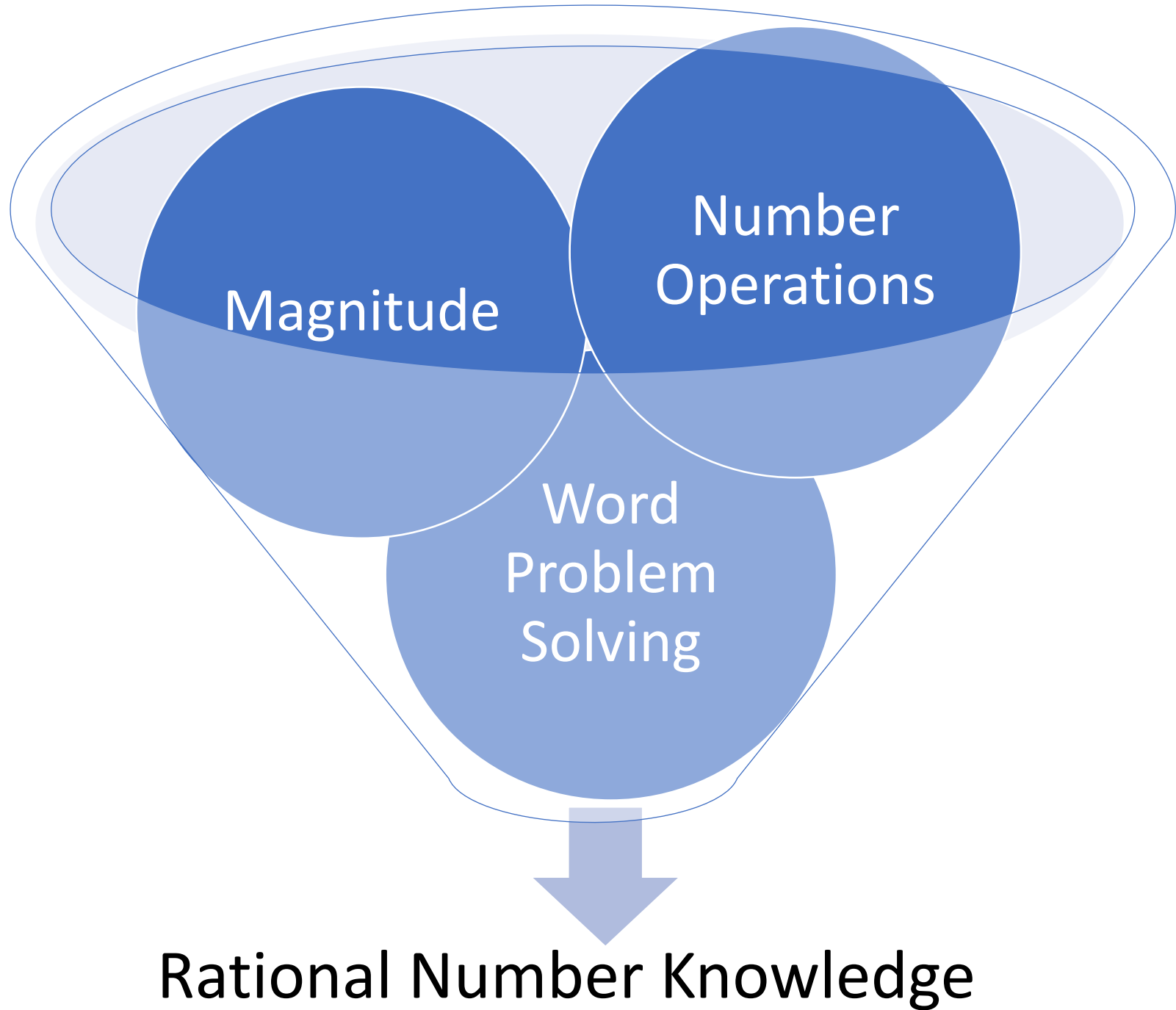
Key Aspects of  
Measurement



Bucket 1

Whole Number Knowledge

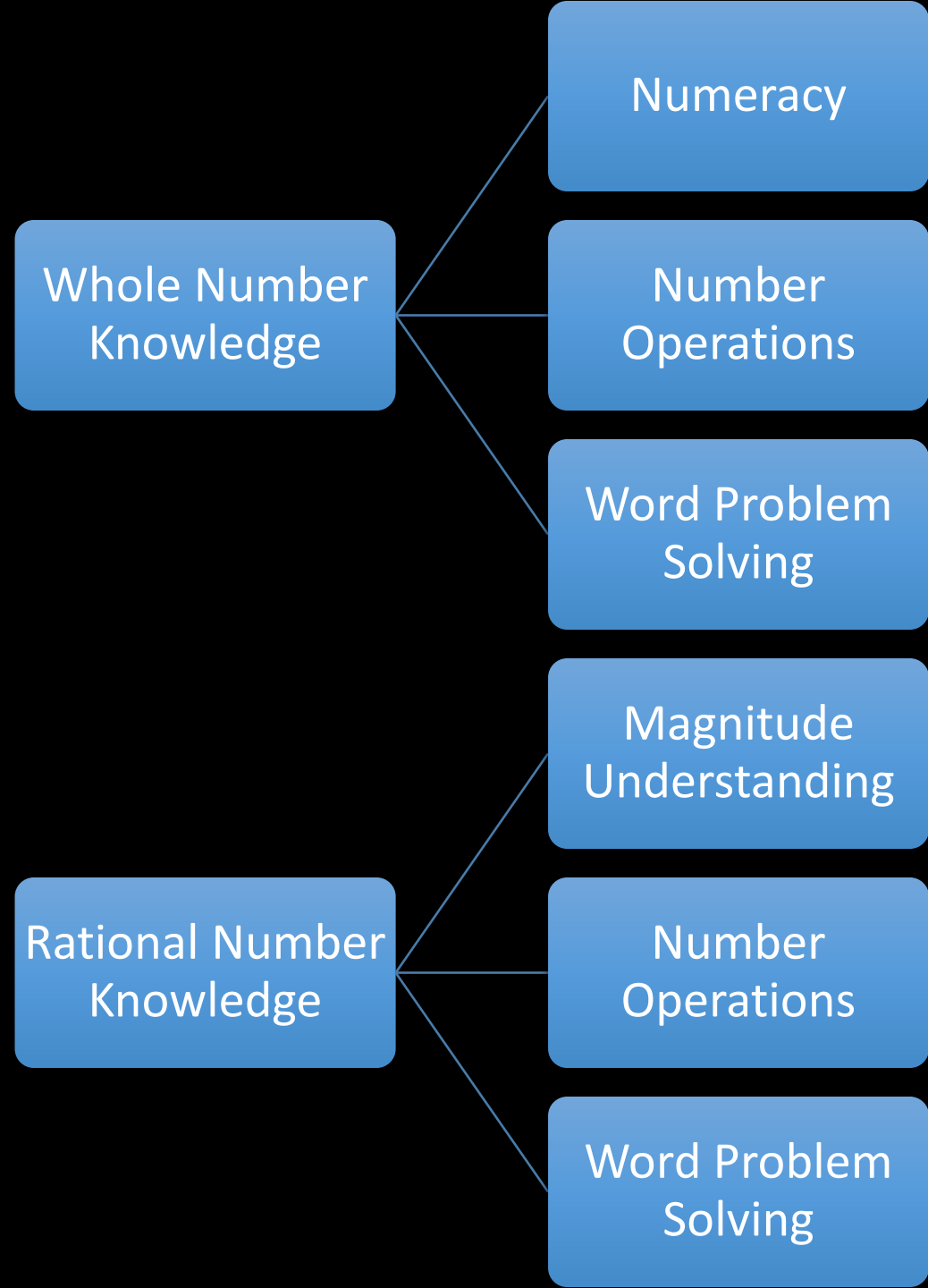
Bucket 2



# Best Practices:

K-8 Emphasis

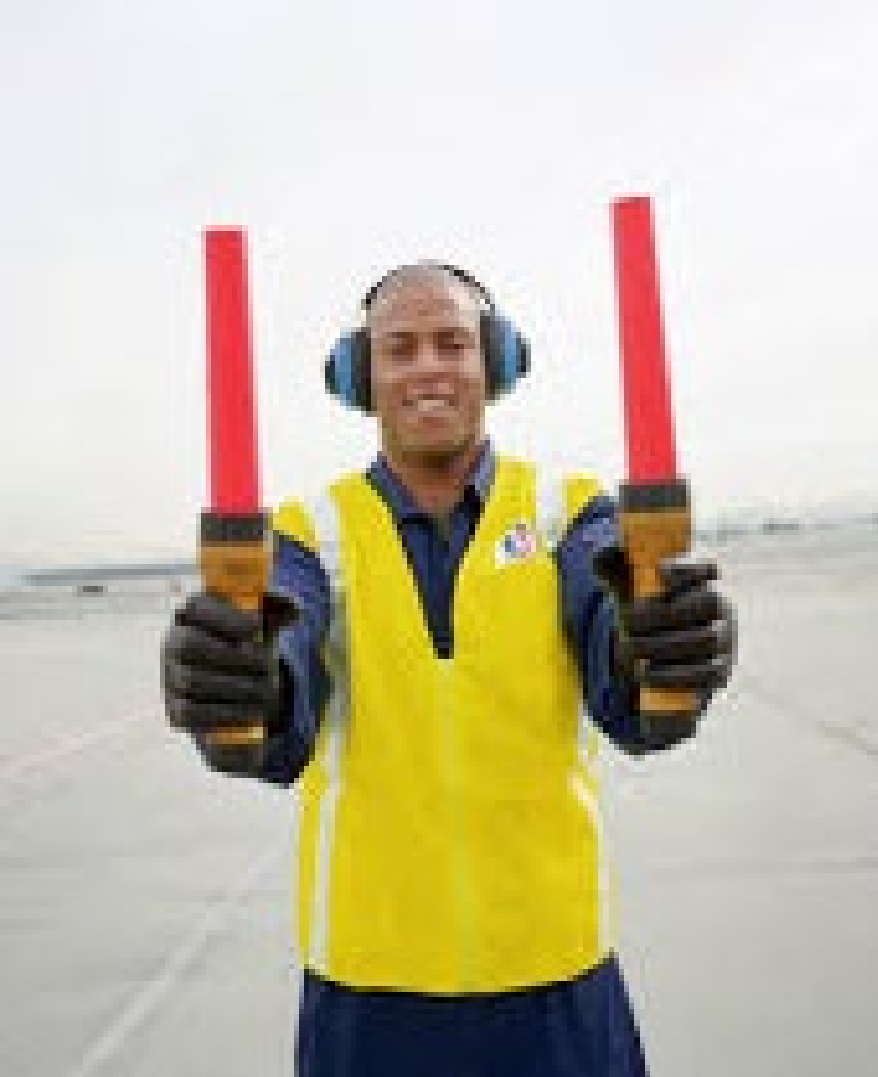
Teach Foundational Skills 1<sup>st</sup>





MYTH #8  
EXECUTIVE  
FUNCTIONING  
TRAINING  
MATTERS

# Executive Functioning: What is it?



- Set of cognitive skills required to direct behavior toward a goal by planning, focusing attention, remembering, & juggling tasks
- Refers to
  - Working Memory \* Mental Flexibility \* Self-control

Responsible for:

- Regulating emotions
- Planning, organizing, prioritizing
- Self-monitoring (keeping track of what you are doing)
- Inhibition
- Persisting on Tasks

# Relationship between Math & EF and EF Training



Moderate association  
(average correlation = .31)  
between EF and math  
achievement



This relationship was  
reduced when studies  
controlled for IQ and other  
background characteristics



Very few rigorous EF training  
intervention studies exist



EF training interventions  
improved EF functioning but  
**not academic outcomes**



The most effective way to address math skill deficits is to **DIRECTLY** remediate math skills

# Best Practices

## To Individualize Math Interventions

- Minimize cognitive load on working memory and reasoning by
  - *including explicit instruction & breaking down problems into smaller more manageable parts*
- Minimize excessive language load by
  - *Include visual and concrete representations*
  - *Provide clear and concise math language*
- Increase repetition and opportunities to practice to *promote skill fluency* (especially if carryover from one day to next doesn't happen)

**MYTH #9  
GROWTH  
MINDSET  
INTERVENTIONS  
INCREASE  
MATH  
PERFORMANCE**

**Growth  
Mindset**





Students from OECD countries scored 23 points higher in math if reported having a growth mindset (PISA, 2018)



2/3 of students world-wide reported having a growth mindset

Research On Stand-alone  
Growth Mindset Interventions  
Yield **Minimal Gains** On Math  
Outcomes & **Replication  
Attempts Failed**

Math Outcomes Improved  
When Evidence-based **Math  
Interventions** & **Self-  
regulated Learning Skills**  
Were Added

# Truth

# BEST PRACTICES

GET STUDENTS INVOLVED IN **THEIR OWN LEARNING** &  
HELP THEM BECOME **AWARE OF HOW THEY THINK** DURING PROBLEM SOLVING



**Model & Praise  
Effort &  
Persistence**



**Demonstrate New  
Strategies To Solve  
Problems When  
Students Are Stuck**



**Teach Students  
How To PLAN,  
MONITOR, CHECK  
& MODIFY Their  
Work w/Heuristics,  
Mnemonics, &  
Verbalization**



**Help Students  
Establish Short-  
Term Learning  
Goals**



**Show Students  
How To Monitor  
Progress Toward  
Learning Goals &  
Record  
Accomplishments**

# SUMMARY



- What Myth Will you Bust in Your School?
- Why or How Will You Bust the Myth?



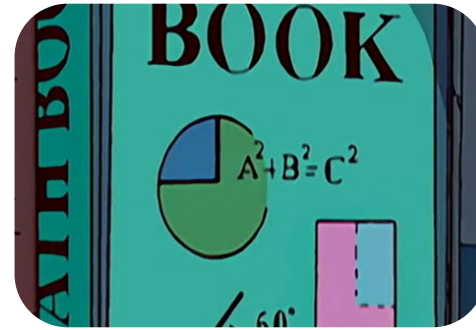
# How Did We Get Here?

<p><b>2. MISINTERPRETED RESULTS</b></p> <p>News articles can distort or misinterpret the findings of research for the sake of a good story, whether intentionally or otherwise. It's possible to read the original research, rather than relying on the article based on it for information.</p>	<p><b>8. NO CONTROL GROUP USED</b></p> <p>In clinical trials, results from test subjects should be compared to a control group, not given the substance being tested. Although it should also be allocated randomly, in general experiments, a control test should be used where all variables are controlled.</p>
<p><b>3. CONFLICTS OF INTEREST</b></p> <p>Many companies will employ scientists to carry out and publish research - whilst this doesn't necessarily invalidate the research, it should be analysed with this in mind. Research can also be misrepresented for personal or financial gain.</p>	<p><b>9. NO BLIND TESTING USED</b></p> <p>To try and prevent bias, subjects should not know if they are in the test or the control group. In 'double blind' testing, even researchers don't know which group subjects are in, until after testing. Blind testing isn't always feasible, or ethical.</p>
<p><b>4. CORRELATION &amp; CAUSATION</b></p> <p>Be wary of any confusion of correlation and causation. A correlation between variables doesn't always mean one causes the other. Global warming increased since the 1970s, and pine numbers decreased, but lack of pines doesn't cause global warming.</p>	<p><b>10. SELECTIVE REPORTING OF DATA</b></p> <p>Also known as 'cherry picking', this involves selecting data from results which supports the conclusion of the research, while ignoring those that do not. If a research paper draws conclusions from a selection of its results, not all, it may be guilty of this.</p>
<p><b>5. UNSUPPORTED CONCLUSIONS</b></p> <p>Speculation can often help to drive science forward; however, studies should be clear on the facts their study covers, and which</p>	<p><b>11. UNREPLICABLE RESULTS</b></p> <p>Results should be replicable by independent research, and tested over a wide range of conditions. Future research in areas of</p>

Pseudoscience is Seductive



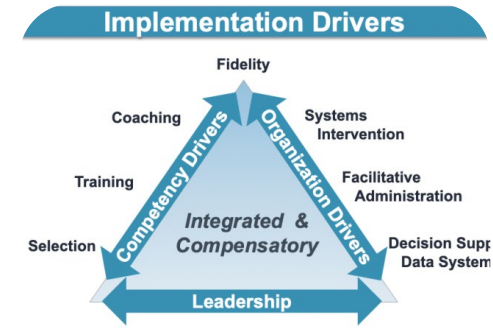
Reform Efforts Left Behind Proven Practices



Limited tSOM Examples Included in Textbooks



Overload of information on the internet and via social media



Implementation Challenges

Often its Not  
the  
Instructional  
Strategy...  
It's the  
Application

### Manipulatives

- Provide only when students are 1<sup>st</sup> learning a new concept or skill

### Timed Activities

- Use Only AFTER High Accuracy is Demonstrated on a Skill

### Games

- Offer when students are accurate and fluent with required skills

### Challenging Novel Problems

- Deliver only after prerequisite skills are mastered

Interleave	conceptual understanding & procedural knowledge in every lesson
Teach	the standard algorithm
Challenge	students with novel problems after demonstrating accuracy, fluency, generalization with key skills & concepts
Plan	Lots of opportunities to practice with timed activities
Offer	Math skill building interventions to address math anxiety first
Prioritize	Key components that promote algebra readiness such as proficiency with whole & rationale number knowledge
Use	explicit systematic instruction everyday & at all tiers (including core instruction)
Individualize	By reducing language and WM load with explicit instruction and precise concise vocabulary
Show	Students how to engage in their own learning



<b>Myth</b>	<b>Truth</b>	<b>Best Practice</b>
<b>Teach Conceptual Knowledge 1<sup>st</sup></b>	Conceptual understanding & procedural knowledge are mutually dependent & equally important	Interleave Conceptual & Procedural Knowledge in Every Lesson
<b>Standard Algorithms are Harmful</b>	Algorithms provide a link between conceptual and procedural knowledge	Teach the Standard Algorithm
<b>Productive Struggle Leads to Deeper Learning</b>	Productive struggle leads to frustration, misconceptions, and lost instructional time	Provide Challenge Problems AFTER Students Are Accurate, Fluent, And Generalize Skills/Concepts
<b>Fact Fluency Doesn't Matter</b>	Fact fluency predicts later math performance	Plan Lots of Opportunities for [Timed] Fact Practice
<b>Timed Tests/Tasks Cause Anxiety</b>	There is no causal evidence that timed tests cause anxiety	Address Math Skill Gaps First To Address Math Anxiety And Math Skills
<b>Explicit Instruction Only Helps Some Students</b>	Explicit instruction is the most effective instructional method	Provide Explicit Instruction at all MTSS Tiers
<b>All Content Standards are Created Equal</b>	There are key critical foundation skills that predict algebra readiness	Identify & Teach Foundational Skills (to Mastery) First
<b>Executive Functioning Training Matters</b>	Small correlation with math outcomes; EFT improves EF not math	Individualize By Reducing Language & WM Load
<b>Growth Mindset Increases Math Achievement</b>	Most kids already have a growth mindset	Get Students Involved In Their Own Learning

Questions



# Math Myth Busters & The Science of Math



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